

Computergestützte Strukturbioologie (Strukturelle Bioinformatik)

Strukturbestimmung mit Röntgenkristallographie

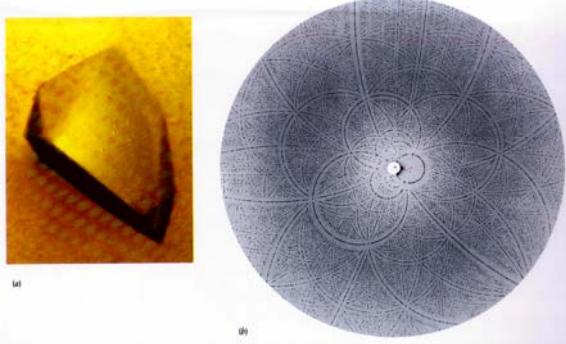
Sommersemester 2009

Peter Güntert

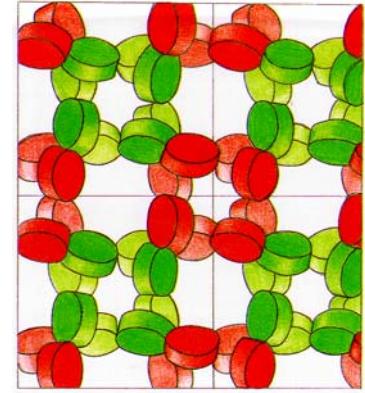
Kristallographie: Geschichte

- 1839, William H. Miller: Miller Indices für Gitterebenen
- 1891: 230 Raumgruppen für Kristalle
- 1895, Wilhelm Conrad Röntgen: Röntgenstrahlung
- 1912, Max von Laue: Röntgenstreuung
- 1912, William L. Bragg: Braggsches Gesetz
- 1914, Bragg: Kristallstrukturen von NaCl und Diamant
- 1937: Dorothy Hodgkin: Kristallstruktur von Cholesterin
- 1945: Dorothy Hodgkin: Kristallstruktur von Vitamin B12
- 1952: Rosalind Franklin: DNA Röntgenbeugungsdiagramme
- 1955: Rosalind Franklin: Tabakmosaikvirus (TMV) Struktur
- 1958: John Kendrew: Erste Proteinstruktur (Myoglobin)
- 2000: Kristallstruktur des Ribosoms
- 2009: > 49'000 Kristallstrukturen in der Protein Data Bank

Kristall und Beugungsmuster



Proteinkristall

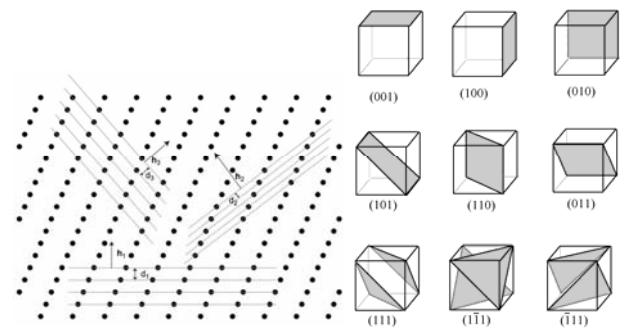


Kristallsysteme

Bravaisgitter

Bravais lattice	Parameters	Simple (P)	Volume centered (I)	Base centered (C)	Face centered (F)
Triclinic	$a_1 \neq a_2 \neq a_3$ $\alpha_{12} \neq \alpha_{23} \neq \alpha_{31}$				
Monoclinic	$a_1 \neq a_2 \neq a_3$ $\alpha_{23} = \alpha_{31} = 90^\circ$ $\alpha_{12} \neq 90^\circ$				
Orthorhombic	$a_1 \neq a_2 \neq a_3$ $\alpha_{12} = \alpha_{23} = \alpha_{31} = 90^\circ$				
Tetragonal	$a_1 = a_2 \neq a_3$ $\alpha_{12} = \alpha_{23} = \alpha_{31} = 90^\circ$				
Trigonal	$a_1 = a_2 = a_3$ $\alpha_{12} = \alpha_{23} = \alpha_{31} < 120^\circ$				
Cubic	$a_1 = a_2 = a_3$ $\alpha_{12} = \alpha_{23} = \alpha_{31} = 90^\circ$				
Hexagonal	$a_1 = a_2 \neq a_3$ $\alpha_{23} = \alpha_{31} = 90^\circ$				

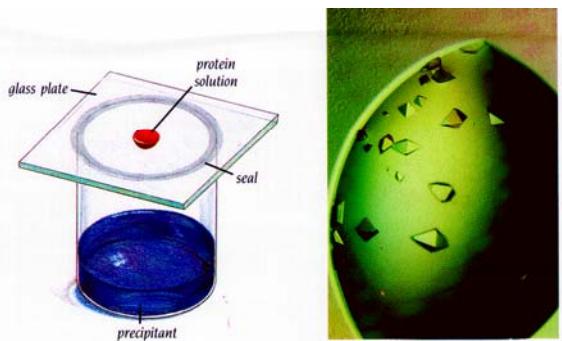
Miller Indizes



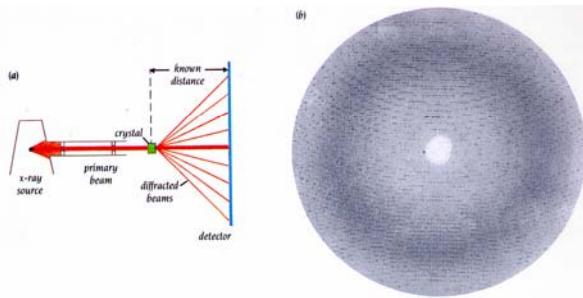
Kristallstrukturbestimmung

1. Kristallisation
2. Messung der Beugungsmuster
3. Datenauswertung
 - a) Bestimmung der Einheitszelle und Raumgruppe
 - b) Phasenbestimmung
 - c) Modellbau
 - d) Verfeinerung der Phasen und der Struktur

Proteinkristallisation



Röntgenkristallographie Messung

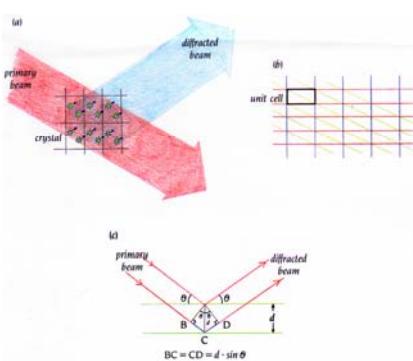


Synchrotron

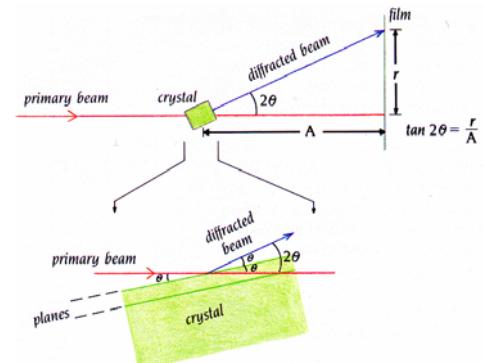


ESRF Grenoble (France)

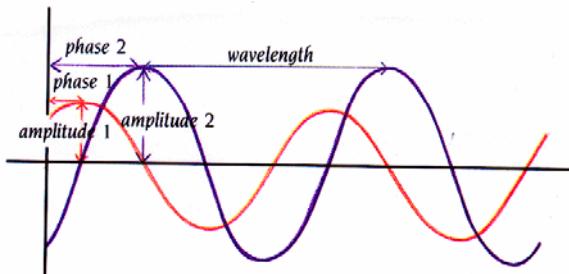
Röntgenstreuung: Bragg-Bedingung



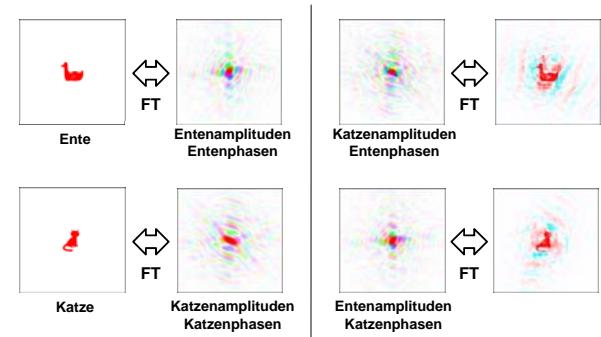
Röntgenstreuung



Superposition of two waves



Fourier Transformation: Phasen und Amplituden

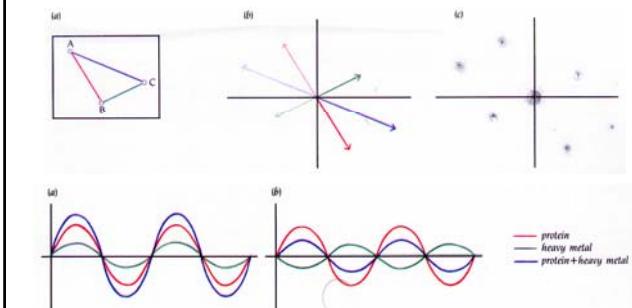


<http://www.yesl.york.ac.uk/~cowtan/fourier/>

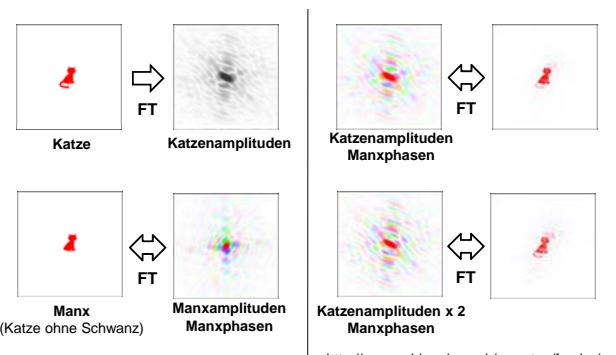
Determination of phases

- **Ab initio phasing (direct methods):** Exploit theoretical phase relationships. Requires high resolution ($< 1.4 \text{ \AA}$) data.
- **Heavy atom derivatives (multiple isomorphous replacement; MIR):** Crystallize the protein in the presence of several heavy metals without significantly changing the structure of the protein nor the crystal lattice.
- **Anomalous X-ray scattering at multiple wavelengths (multi-wavelength anomalous dispersion; MAD):** Incorporation of Seleno-methionine.
- **Molecular replacement:** Use structure of a similar molecule as the initial model.

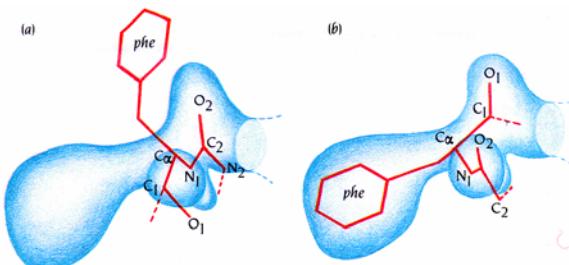
Multiple isomorphous replacement (MIR)

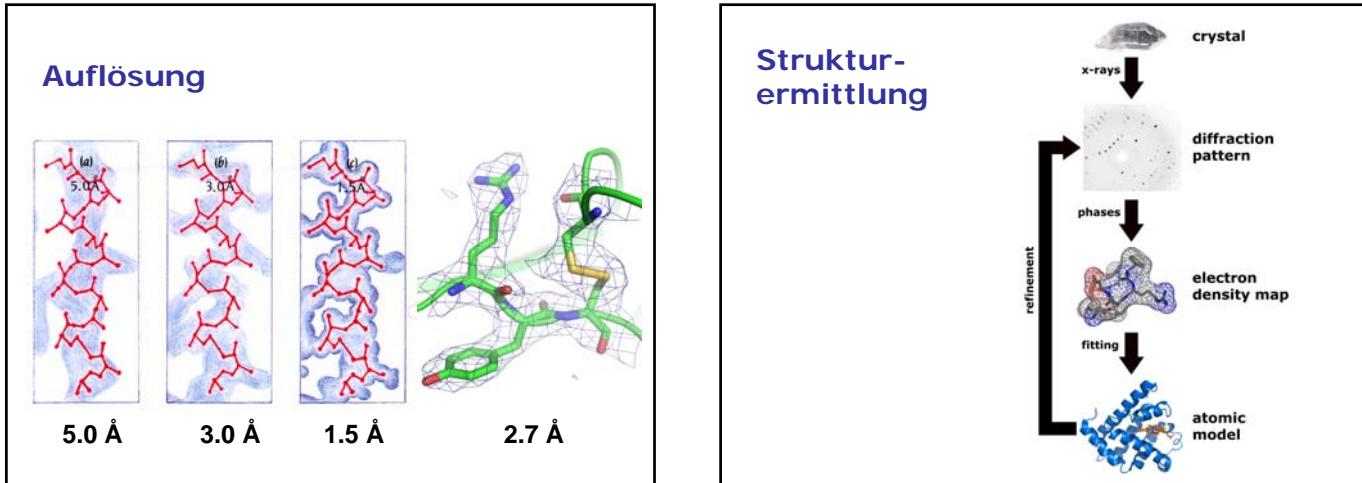


Molecular replacement



Interpretation der Elektronendichte





X-ray crystallography: *R*-factor

- Measures agreement between measured data (reflections) and 3D structure
- Definition: Relative difference between structure factors, $F(hkl)$, that were observed (F_{obs}) and back-calculated from the 3D structure (F_{calc}):

$$R = \frac{\sum ||F_{obs}| - |F_{calc}||}{\sum |F_{obs}|} \quad \text{with } I_{hkl} \propto |F(hkl)|^2$$

I_{hkl} = intensity of reflection (hkl)

- Perfect agreement: $R = 0$
Good protein X-ray structure: $R < 0.2$
Random structure: $R \approx 0.6$

X-ray: Free *R*-factor

- Use, say, 90% of the data (reflections) for the structure determination
- Use the remaining 10% to compute the *R* value → “free” *R* value, obtained from independent data
- Detects errors better than conventional *R*-factor
- Each reflection influences whole electron density
- Many reflections → No problem to omit 10% of the reflections from the structure determination

Brünger, A. T. (1992). Free *R* value: a novel statistical quantity for assessing the accuracy of crystal structures. *Nature* 355, 472-475.